



# UNITED STATES PATENT AND TRADEMARK OFFICE

UNITED STATES DEPARTMENT OF COMMERCE  
United States Patent and Trademark Office  
Address: COMMISSIONER FOR PATENTS  
P.O. Box 1450  
Alexandria, Virginia 22313-1450  
www.uspto.gov

APPLICATION NO.	FILING DATE	FIRST NAMED INVENTOR	ATTORNEY DOCKET NO.	CONFIRMATION NO.
09/607,513	06/28/2000	Nimrod Megiddo	ARC-00-0030-US1	8338

22462 7590 01/04/2005

GATES & COOPER LLP  
HOWARD HUGHES CENTER  
6701 CENTER DRIVE WEST, SUITE 1050  
LOS ANGELES, CA 90045

EXAMINER

THANGAVELU, KANDASAMY

ART UNIT	PAPER NUMBER
----------	--------------

2123

DATE MAILED: 01/04/2005

Please find below and/or attached an Office communication concerning this application or proceeding.

<b>Advisory Action</b>	<b>Applicati n No.</b> 09/607,513	<b>Applicant(s)</b> MEGIDDO, NIMROD	
	<b>Examiner</b> Kandasamy Thangavelu	<b>Art Unit</b> 2123	

**--The MAILING DATE of this communication appears n the cover sh et with the correspondence address --**

THE REPLY FILED 03 November 2004 FAILS TO PLACE THIS APPLICATION IN CONDITION FOR ALLOWANCE. Therefore, further action by the applicant is required to avoid abandonment of this application. A proper reply to a final rejection under 37 CFR 1.113 may only be either: (1) a timely filed amendment which places the application in condition for allowance; (2) a timely filed Notice of Appeal (with appeal fee); or (3) a timely filed Request for Continued Examination (RCE) in compliance with 37 CFR 1.114.

**PERIOD FOR REPLY [check either a) or b)]**

- a) ☒ The period for reply expires 3 months from the mailing date of the final rejection.
- b) ☐ The period for reply expires on: (1) the mailing date of this Advisory Action, or (2) the date set forth in the final rejection, whichever is later. In no event, however, will the statutory period for reply expire later than SIX MONTHS from the mailing date of the final rejection. ONLY CHECK THIS BOX WHEN THE FIRST REPLY WAS FILED WITHIN TWO MONTHS OF THE FINAL REJECTION. See MPEP 706.07(f).

Extensions of time may be obtained under 37 CFR 1.136(a). The date on which the petition under 37 CFR 1.136(a) and the appropriate extension fee have been filed is the date for purposes of determining the period of extension and the corresponding amount of the fee. The appropriate extension fee under 37 CFR 1.17(a) is calculated from: (1) the expiration date of the shortened statutory period for reply originally set in the final Office action; or (2) as set forth in (b) above, if checked. Any reply received by the Office later than three months after the mailing date of the final rejection, even if timely filed, may reduce any earned patent term adjustment. See 37 CFR 1.704(b).

1. ☐ A Notice of Appeal was filed on \_\_\_\_\_. Appellant's Brief must be filed within the period set forth in 37 CFR 1.192(a), or any extension thereof (37 CFR 1.191(d)), to avoid dismissal of the appeal.
2. ☐ The proposed amendment(s) will not be entered because:
- (a) ☐ they raise new issues that would require further consideration and/or search (see NOTE below);
  - (b) ☐ they raise the issue of new matter (see Note below);
  - (c) ☐ they are not deemed to place the application in better form for appeal by materially reducing or simplifying the issues for appeal; and/or
  - (d) ☐ they present additional claims without canceling a corresponding number of finally rejected claims.

NOTE: \_\_\_\_\_.

3. ☐ Applicant's reply has overcome the following rejection(s): \_\_\_\_\_.
4. ☐ Newly proposed or amended claim(s) \_\_\_\_\_ would be allowable if submitted in a separate, timely filed amendment canceling the non-allowable claim(s).
5. ☒ The a) ☐ affidavit, b) ☐ exhibit, or c) ☒ request for reconsideration has been considered but does NOT place the application in condition for allowance because: See Attachment -A.
6. ☐ The affidavit or exhibit will NOT be considered because it is not directed SOLELY to issues which were newly raised by the Examiner in the final rejection.
7. ☐ For purposes of Appeal, the proposed amendment(s) a) ☐ will not be entered or b) ☐ will be entered and an explanation of how the new or amended claims would be rejected is provided below or appended.

The status of the claim(s) is (or will be) as follows:

Claim(s) allowed: \_\_\_\_\_.

Claim(s) objected to: \_\_\_\_\_.

Claim(s) rejected: 1-36.

Claim(s) withdrawn from consideration: \_\_\_\_\_.

8. ☐ The drawing correction filed on \_\_\_\_\_ is a) ☐ approved or b) ☐ disapproved by the Examiner.
9. ☐ Note the attached Information Disclosure Statement(s)( PTO-1449) Paper No(s). \_\_\_\_\_.
10. ☐ Other: \_\_\_\_\_

## **ATTACHMENT – A: ADVISORY ACTION**

1. This communication is in response to the Applicants' response dated November 23, 2004. Applicant's arguments filed on November 23, 2004 have been fully considered. Applicant's arguments, filed on November 23, 2004 under 35 U.S.C. 103 (a) are not persuasive.

### ***Arguments***

2.1 As per the applicant's argument that "the prior art simply formulates a discrete MDP in terms of linear programming, which is well known; the applicant's invention on the other hand, is a more general method that works in a continuous space, continuous action setting; the applicant's invention attempts to approximate the correct value function, with which acting optimally in each state requires solving a Linear Programming (LP) problem that incorporates this value function; the prior art does not teach or suggest these aspects of the applicant's invention", the Examiner respectfully disagrees.

Viniotis teaches continuous space and continuous action setting (Page 654, CL1, Para 2). It teaches approximating the correct value function and solving the Linear programming problem that incorporates the value function (Page 654, CL1, Para 3 to CL2, Para 5).

2.2 As per the applicant's argument that "the Office Action asserts that Viniotis teaches a state space for the MDP is a polyhedron in a Euclidean space; the Office Action imputes more

Art Unit: 2123

into Viniotis than it actually teaches; in Viniotis,  $A$  is a constant matrix, not a state space; nowhere does Viniotis refer to a state space for the MDP as a polyhedron in a Euclidean space”, the Examiner respectfully disagrees.

Viniotis states that the solution to the Linear Programming problem is an extreme point (Page 654, CL4, Para 6); extreme points form a polyhedron (Page 654, CL4, Para 6). One of ordinary skill in the art would have known that such polyhedron existed in the Euclidean space (a multi-dimensional space). The constraints of the linear program are lines in the multi-dimensional space forming the edges of the polyhedron. The constraints are defined by the states. Therefore, the state space of the linear program exists in an Euclidean space and is defined by a polyhedron. It is well known that a Markov decision Problem (MDP) is equivalent to a Linear Program; a MDP problem can be generally formulated as an equivalent Linear Program (Page 652, CL1, Para 4). Therefore, one of ordinary skill in the art would conclude that a state space for the MDP is a polyhedron in a Euclidean space.

2.3 As per the applicant’s argument that “the Office Action asserts that Viniotis teaches one or more actions that are feasible in a state of the state space are linearly constrained with respect to the state; ... Viniotis does not teach or suggest that actions that are feasible in a state of the state space are linearly constrained with respect to state, in the context of where a state space for the MDP is a polyhedron in Euclidean space; ... Viniotis merely states that the state is a linear function of the control action  $z_k$ ”, the Examiner respectfully disagrees.

Viniotis states that the state is a linear function of the control actions (Page 652, CL2, Para 8). One of ordinary skill in the art knows that if  $x$  is a linear function of  $y$ , then  $y$  is a linear function of  $x$ . Therefore, it is clear that actions are linear functions of state. Selecting an optimal policy (set of actions) reduces to minimizing a linear functional; this minimization is constrained, since the states generated by the policy have to belong to the state space, a subset of nonnegative integers (Page 653, CL1, Para 1). Therefore, it is obvious that the actions are constrained by the state, where the state space is in the Euclidean space.

2.4 As per the applicant's argument that "the Office Action asserts that Viniotis teaches building a value function for the state using representations that facilitate the computation of approximately optimal actions at any given state by linear programming; Viniotis does not teach that building a value function for the state using representations and facilitating the computation of approximately optimal actions at any given state by linear programming; Viniotis teaches only the formulation of an MDP and the definition of a value function, as well as that the state is linear function of the control actions", the Examiner respectfully disagrees.

Viniotis teaches building a value function for the state using representations that facilitate the computation of approximately optimal actions at any given state by linear programming (Page 653, CL1, Para 9 to Page 654, CL1, Para 4; Page 652, CL2, Para 6 and Para 8).

2.5 As per the applicant's argument that "the Office Action asserts that Schneider teaches building one or more approximations from above and from below to a value function for the state

Art Unit: 2123

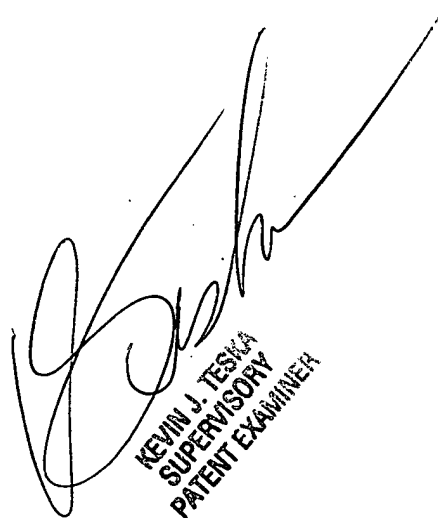
using representations that facilitate computation of approximately optimal actions at any given state by linear programming; Schneider does not teach or suggest building one or more approximations from above and from below to a value function for the state using representations that facilitate computation of approximately optimal actions at any given state by linear programming; ... Schneider merely describes how the solution to the MDP is an approximate value function, specific to the current demand forecasts, which can be used to generate optimal scheduling decisions online”, the Examiner respectfully disagrees.

Schneider teaches that the solution to the MDP is a value function and a method for generating an approximate value of this function (Page 2722, CL1, Para 2). Schneider also teaches that the solution to an MDP is an approximate value function (Page 2724, CL2, Para 6). Schneider teaches that the value function can be represented as a function of states and actions (Page 2725, CL1, Para 1). Trajectories through the MDP model are generated repeatedly using the current approximation of the value function (Page 2725, CL2, Para 4). For noisy versions, one could use noisy outcomes directly from the stochastic simulation (Page 2726, CL1, Para 3). Schneider teaches building one or more approximations from above and from below to a value function for the state using representations (Page 2722, CL1, Para 2; Page 2724, CL2, Para 6), as value function approximation is an effective technique for both deterministic and noisy scenarios (Page 2722, CL1, Para 2); and approximation allows solving large scale MDPs (Page 2722, CL2, Para 2).

Art Unit: 2123

3. In view of the above explanation, the request for reconsideration has been considered but is not persuasive and does not place the application in condition for allowance.

K. Thangavelu  
Art Unit 2123  
December 22, 2004



KEVIN J. TESKA  
SUPERVISORY  
PATENT EXAMINER